

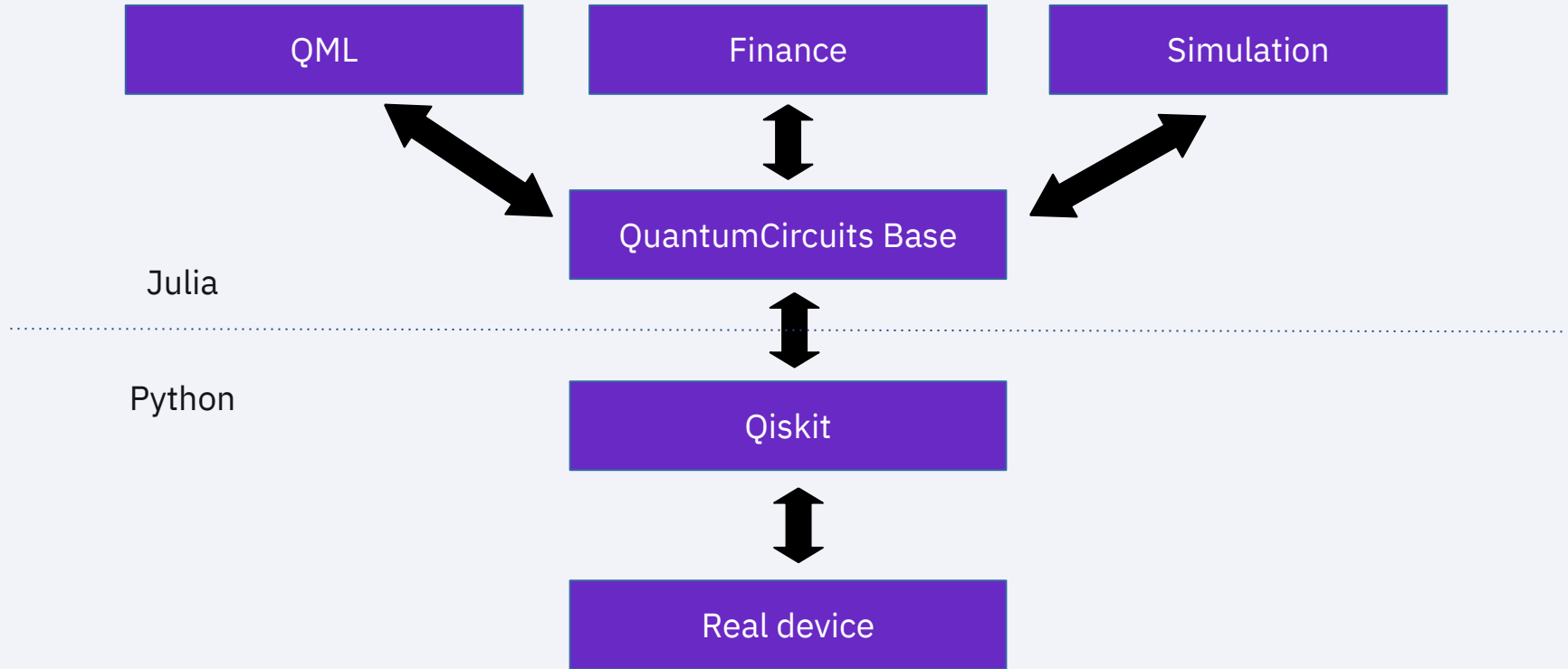
#16 Julia in Qiskit

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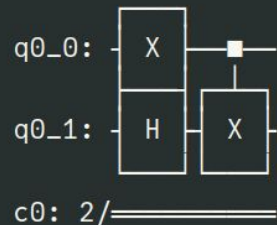
QuantumCircuits library

QuantumCircuits Architecture

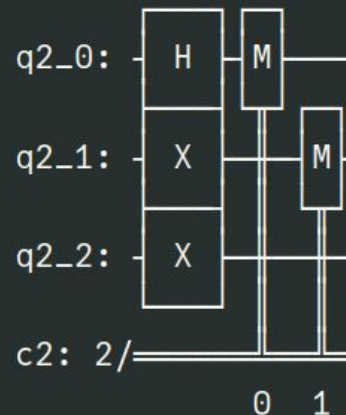


```
# We use the simulator written in Julia
const backend = QuantumSimulator()

# Let's create an example circuit.
qc1 = QCircuit(2)
qc1.x(0)
qc1.h(1)
qc1.cx(0, 1)
qc1
```



```
qr = QuantumRegister(3)
cr = ClassicalRegister(2)
qc = QCircuit(qr, cr)
qc.h(0)
qc.x(1)
qc.x(2)
qc.measure([0, 1], [0, 1])
qc
```

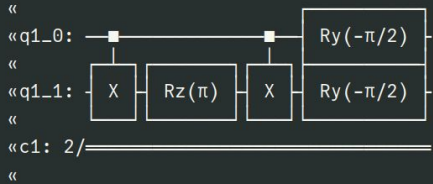
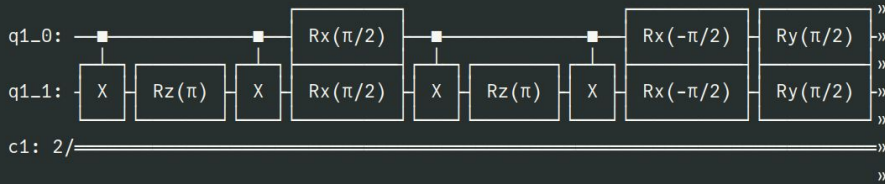


Cartan's KAK decomposition



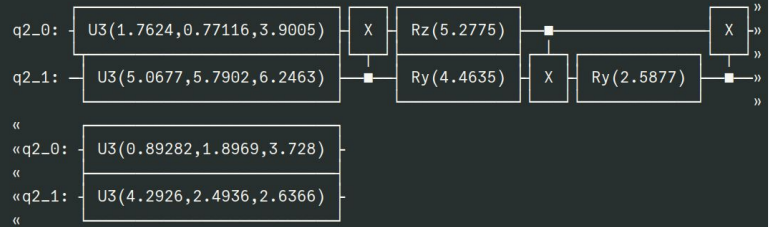
```
t = pi/2

qc = QCircuit(2)
ZZ(qc, 0, 1, t)
YY(qc, 0, 1, t)
XX(qc, 0, 1, t)
expmat = tomatrix(qc)
qc
```



```
qr = QuantumRegister(2)
qc = QCircuit(qr)
qc.u4(qr[0], qr[1])

params = getRandParameters(qc)
setparameters!(qc, params)
qc = decompose(qc)
```



```
params, _, err, _ = findparam(expmat, qc, debug=false, trystandard=false)|
err
```

8.988143676440324e-8

Log-Normal state preparation

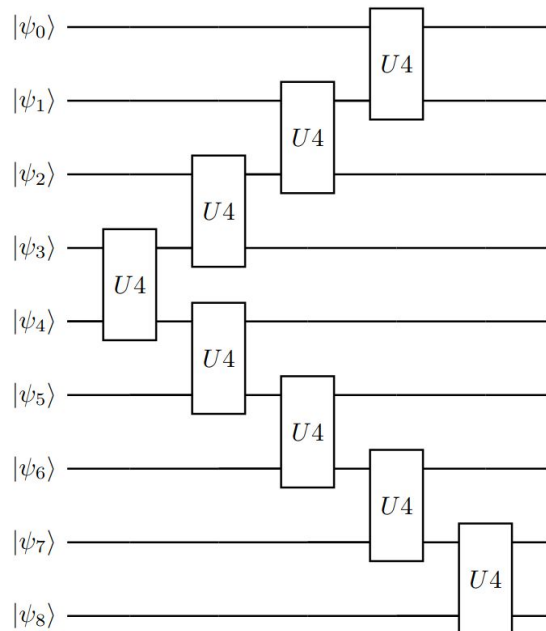
The preparing a quantum state in general, an exponential number of gates, $O(2^n)$, are needed

```
# Generate ansact
qr = QuantumRegister(N)
cr = ClassicalRegister(N)
qc = QCircuit(qr, cr)
#add_ent_gate(i, j) = qc.cx(i, j)
add_ent_gate(i, j) = qc.u4(i, j)

#qc.x(4)
for i in 0:3
    add_ent_gate(4-i, 4-i-1)
    add_ent_gate(4+i, 4+i+1)
end

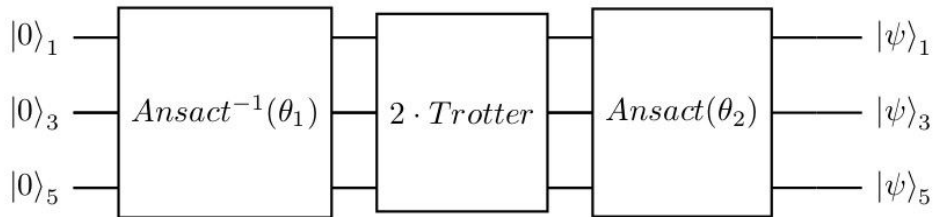
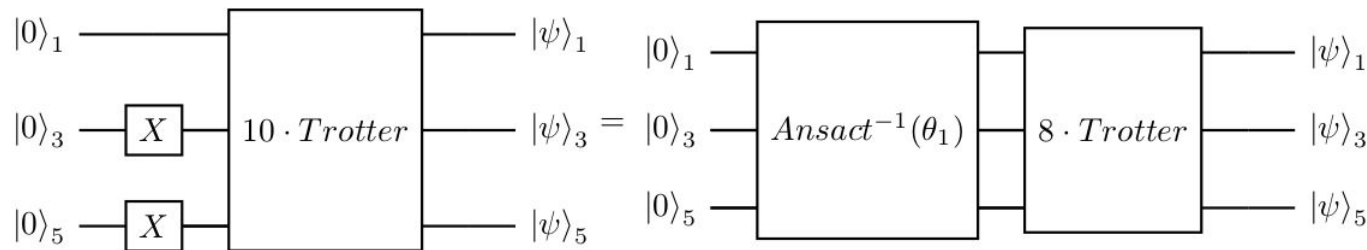
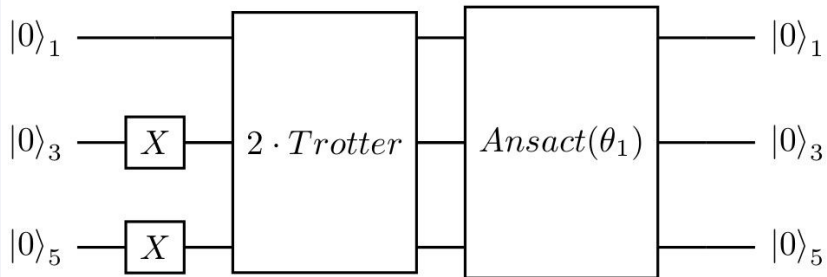
# decompose
qc = decompose(qc)
qc.measure(0:N-1, 0:N-1)

# Random parameter
params = getRandParameters(qc)
setparameters!(qc, params)
```



```
val, x, itr = gradientDescent(loss_stage1, loss_stage1', params, alpha=0.0001, maxItr=500, debug=true,
    useBigValInc=true, argsArePeriodic=true)
```

Trotterization

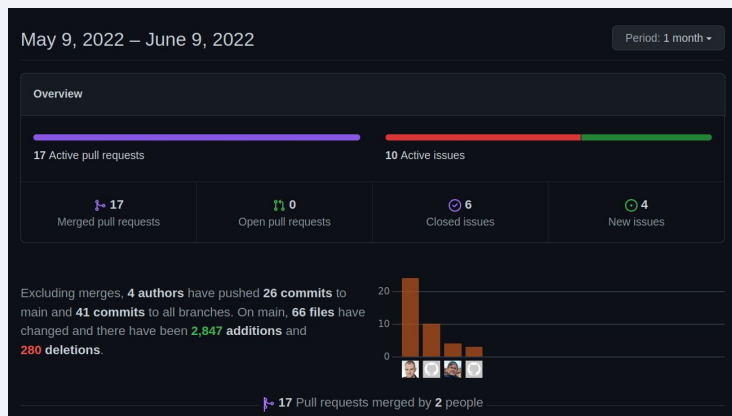
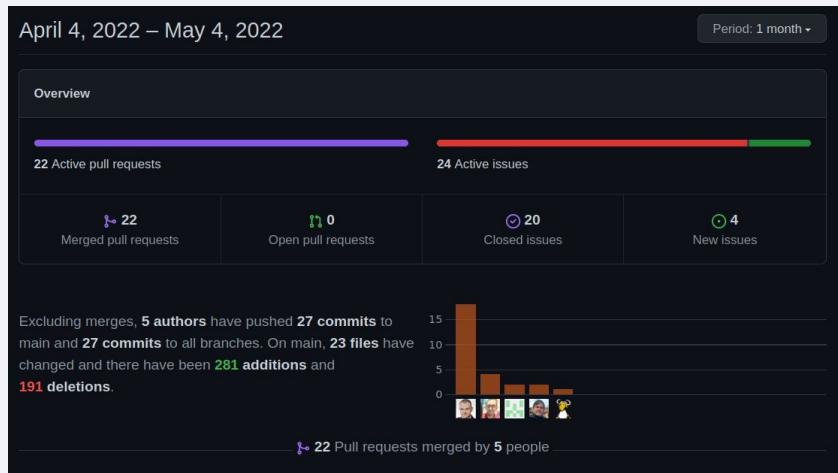
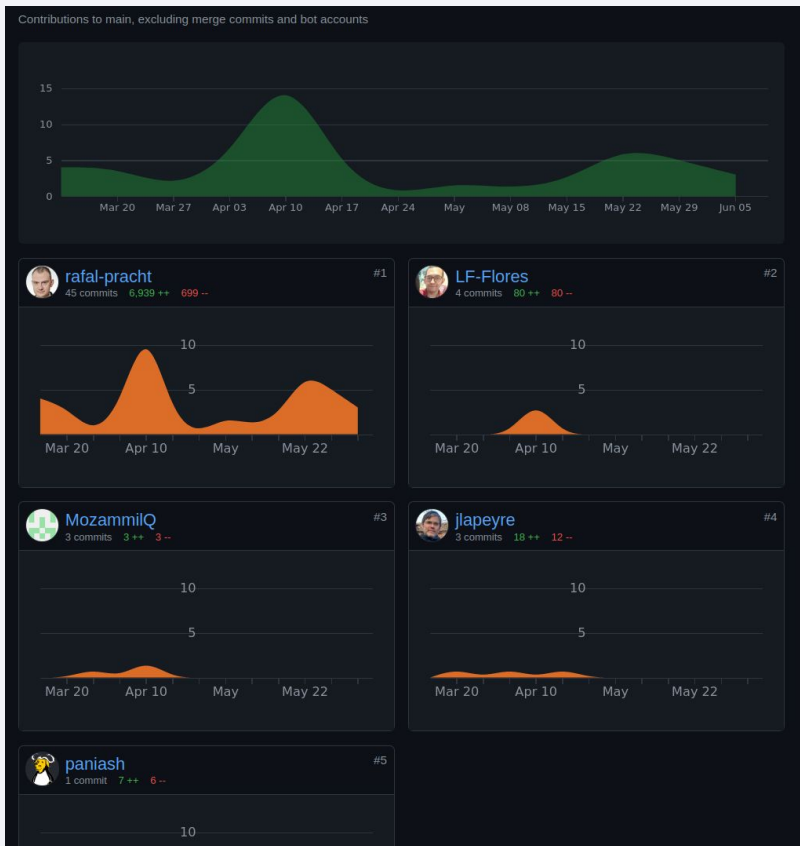


Documentation



A screenshot of the QuantumCircuits.jl documentation page. The page has a dark theme. On the left is a sidebar with a search bar at the top and a list of navigation items: Introduction, Quick Start guide, Quantum Gates Library (with sub-items for single and two-qubit gates), Novel algorithm to Simulation on NISQ device (with sub-items for problem definition, U4 decomposition, and algorithm description), Examples (with a sub-item for Log-Normal state preparation), and Library References (with sub-items for QCircuits, Execute, and QML). The main content area is titled "Introduction" and features the heading "QuantumCircuits.jl". Below the heading is a paragraph describing the library as an open-source tool for quantum computers. A bulleted list follows, detailing the modules: QCircuits, Execute, QML, and Simulation. At the bottom of the main content, there is a footer note: "Powered by Documenter.jl and the Julia Programming Language." and a link to the "Quick Start guide". In the top right corner of the main content area, there is a link to "Edit on GitHub" and a settings gear icon.

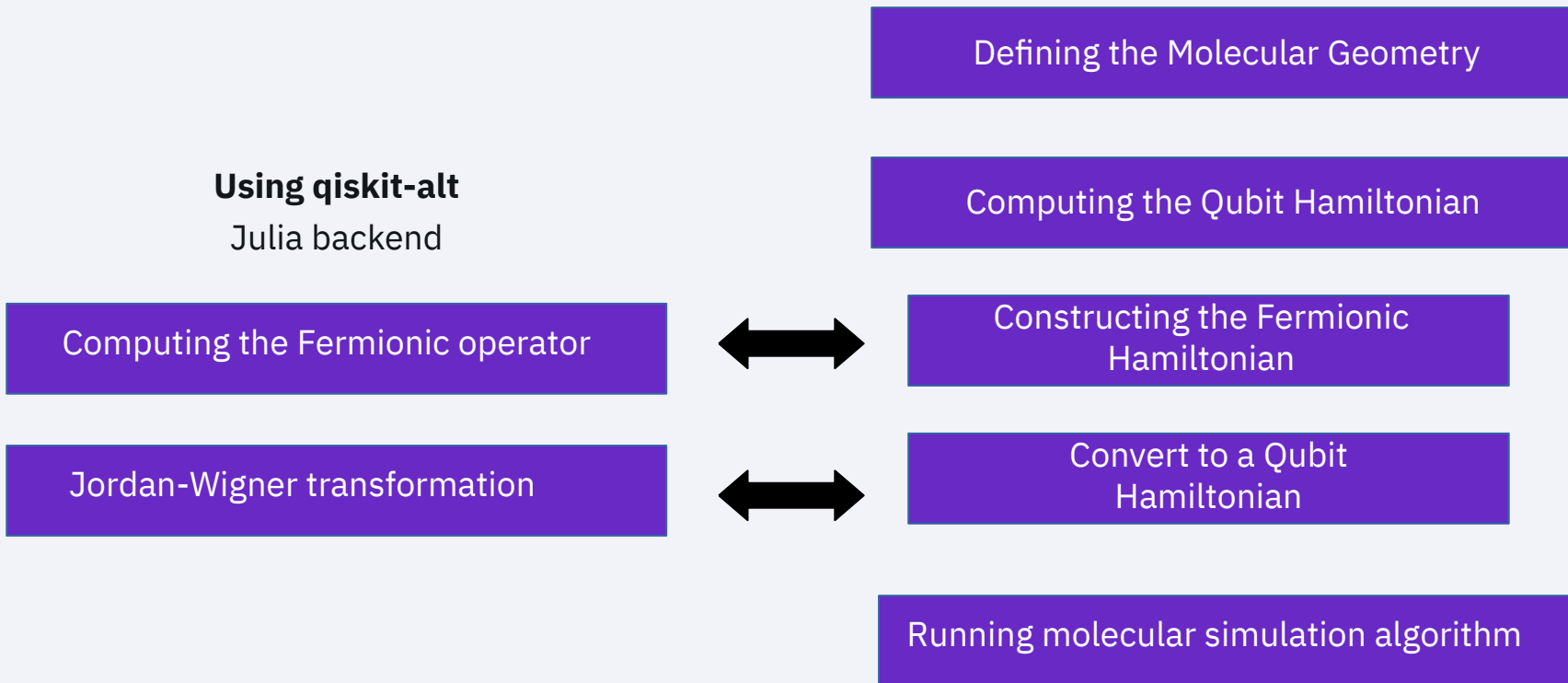
Collaboration



see: <https://adgnitio.github.io/QuantumCircuits.jl/dev/>

Qiskit-Alt

Qiskit-Alt workflow



Computing the Qubit Hamiltonian: H₂ Molecule



Qiskit Nature

```
es_problem = ElectronicStructureProblem(driver)
second_q_op = es_problem.second_q_ops()
qubit_converter = QubitConverter(mapper=JordanWignerMapper())
qubit_op = qubit_converter.convert(second_q_op[0])
qubit_op.primitive
```

```
SparsePauliOp(['IIII', 'ZIII', 'IZII', 'ZZII', 'IIZI', 'ZIZI', 'IZZI', 'IIIZ', 'ZIIZ', 'IZIZ', 'IIZZ', 'XXXX', 'YYXX', 'XXYY', 'YYYY'],
  coeffs=[-0.81054798+0.j, -0.22575349+0.j, 0.17218393+0.j, 0.12091263+0.j,
  -0.22575349+0.j, 0.17464343+0.j, 0.16614543+0.j, 0.17218393+0.j,
  0.16614543+0.j, 0.16892754+0.j, 0.12091263+0.j, 0.0452328 +0.j,
  0.0452328 +0.j, 0.0452328 +0.j, 0.0452328 +0.j])
```

Qiskit Alt

```
# Compute the Fermionic operator of the molecule
fermi_op = qiskit_alt.electronic_structure.fermionic_hamiltonian(geometry, basis)

# Convert the Fermionic operator to a Pauli operator using the Jordan-Wigner transform
pauli_op = qiskit_alt.electronic_structure.jordan_wigner(fermi_op);

# Convert the Pauli operator into a sum of Pauli operators
pauli_sum_op = PauliSumOp(pauli_op)

# Print the PauliSumOp operator, which will be the input to the VQE algorithm to compute the minimum eigenvalue
print(pauli_sum_op)

# Print the SparsePauliOp operator - Fermionic operator computed with qiskit-alt
pauli_op.simplify()
```

```
-0.090578986088348 * IIII
- 0.22575349222402383 * ZIII
+ 0.17218393261915532 * IZII
+ 0.12091263261776633 * ZZII
- 0.22575349222402383 * IIZI
+ 0.17464343068300456 * ZIZI
+ 0.16614543256382416 * IZZI
+ 0.04523279994605783 * XXXX
+ 0.04523279994605783 * YYXX
+ 0.04523279994605783 * XXYY
+ 0.04523279994605783 * YYYY
+ 0.1721839326191553 * IIIZ
+ 0.16614543256382416 * ZIIZ
+ 0.16892753870087907 * IZIZ
+ 0.12091263261776633 * IIZZ
```

➔ Similar generated Hamiltonian

Running molecular simulation algorithm

Computing the ground state energy

- Ansatz: TwoLocal
- Optimizer: COBYLA
- Backend: Statevector Simulator

Results

Qiskit Nature

```
# Compute the ground-state energy of the molecule
result = vqe.compute_minimum_eigenvalue(operator=qubit_op)
print("The ground-state energy of the Hydrogen molecule is {} Hatree".format(round(result.eigenvalue.real,3)))
```

The ground-state energy of the Hydrogen molecule is -1.837 Hatree

Qiskit Alt

```
# Compute the ground-state energy of the molecule
result = vqe.compute_minimum_eigenvalue(operator=pauli_sum_op)
print("The ground-state energy of the Hydrogen molecule is {} Hatree".format(round(result.eigenvalue.real,3)))
```

The ground-state energy of the Hydrogen molecule is -1.117 Hatree

- ✓ Time advantage
- ✗ Results accuracy

Project plan



Objective: Integrate qiskit-alt in qiskit nature workflow

